Write your name here

| Surname | Other names |
| :--- | :--- | | Centre Number |
| :--- |
| Pearson Edexcel |
| Level 1/Level $\mathbf{2}$ GCSE (9-1)     | |  |  |
| :--- | :--- |

## Mathematics

Paper 1 (Non-Calculator)
Higher Tier

| Mock Set 1 - Autumn 2016 | Paper Reference |
| :--- | :--- |
| Time: $\mathbf{1}$ hour $\mathbf{3 0}$ minutes | $\mathbf{1 M A 1 / 1 H}$ |

You must have: Ruler graduated in centimetres and millimetres,
Total Marks protractor, pair of compasses, pen, HB pencil, eraser. Tracing paper may be used.


## Instructions

- Use black ink or ball-point pen.
- Fill in the boxes at the top of this page with your name, centre number and candidate number.
- Answer ALL questions.
- Answer the questions in the spaces provided - there may be more space than you need.
- Calculators may not be used.
- Diagrams are NOT accurately drawn, unless otherwise indicated.

- You must show all your working out.


## Information

- The total mark for this paper is 80 .
- The marks for each question are shown in brackets - use this as a guide as to how much time to spend on each question.


## Advice

- Read each question carefully before you start to answer it.
- Keep an eye on the time.
- Try to answer every question.
- Check your answers if you have time at the end.


## Answer ALL questions.

## Write your answers in the spaces provided.

You must write down all the stages in your working.
1 Work out $2 \frac{3}{5}-1 \frac{5}{6}$


Phone calls cost $£ y$ for $x$ minutes.
The graph gives the values of $y$ for values of $x$ from 0 to 5 .
(a) (i) Give an interpretation of the intercept of the graph on the $y$-axis.
$\qquad$
$\qquad$
(ii) Give an interpretation of the gradient of the graph.
$\qquad$
$\qquad$
(b) Find the equation of the straight line in the form $y=m x+c$


Work out the area of $A B C D E$.
$\mathrm{cm}^{2}$

4 On Monday, Tarek travelled by train from Manchester to London.
Tarek's train left Manchester at 0835
It got to London at 1105
The train travelled at an average speed of 110 miles per hour.
On Wednesday, Gill travelled by train from Manchester to London.
Gill's train also left at 0835 but was diverted.
The train had to travel an extra 37 miles.
The train got to London at 1135
Work out the difference between the average speed of Tarek's train and the average speed of Gill's train.
miles per hour

5 The diagram shows a rectangular wall.


Frank is going to cover the wall with rectangular tiles.
Each tile is 60 cm by 30 cm .
$\frac{3}{5}$ of the tiles will be white.
Some of the tiles will be green.
The rest of the tiles will be blue.
The ratio of the number of green tiles to the number of blue tiles will be $1: 3$
(a) Assuming there are no gaps between the tiles, how many tiles of each colour will Frank need?
white tiles $\qquad$
green tiles $\qquad$
blue tiles $\qquad$

Frank is told that he should leave gaps between the tiles.
(b) If Frank leaves gaps between the tiles, how could this affect the number of tiles he needs?
$\qquad$
$\qquad$

6 On Monday Ria delivered a parcel to a hospital.
The travel graph represents Ria's journey to the hospital.


Ria left home at 1300
She drove for 30 minutes at a constant speed of 40 mph .
She then stopped for a break.
Ria then drove to the hospital at a constant speed.
She was at the hospital for 30 minutes.
She then drove home at a constant speed of 32 mph .
Show that she does not arrive home before 1630

7 Work out an estimate for the value of $\quad \frac{43.2 \times \sqrt{99.05}}{0.193}$

8 Shape $\mathbf{A}$ is translated by the vector $\binom{4}{-7}$ to make Shape B.
Shape $\mathbf{B}$ is then translated by the vector $\binom{-3}{-2}$ to make Shape C.
Describe the single transformation that maps Shape A onto Shape C.

9 A company orders a number of bottles from a factory.
The 8 machines in the factory could make all the bottles in 5 days.
All the machines work at the same rate.
For 2 days, only 4 machines are used to make the bottles.
From the 3rd day, all 8 machines are used to make the bottles.
Work out the total number of days taken to make all the bottles.
days

10 Find the value of $64^{-\frac{2}{3}}$

11 Joan measured the heights of students in four different classes.
She drew a cumulative frequency graph and a box plot for each class.


Match each cumulative frequency graph to its box plot.

| Cumulative frequency <br> graph | Box plot |
| :---: | :---: |
| A |  |
| B |  |
| C |  |
| D |  |

12 In a sale, the price of a jacket is reduced.
The jacket has a normal price of $£ 52$
The jacket has a sale price of $£ 41.60$
Work out the percentage reduction in the price of the jacket.
$\qquad$ \%

13 Prove algebraically that the difference between any two different odd numbers is an even number.

14 Write $0.6 \dot{2} \dot{4}$ as a fraction in its simplest form.

15 Here is a sketch of a vertical cross section through the centre of a bowl.


The cross section is the shaded region between the curve and the $x$-axis.
The curve has equation $y=\frac{x^{2}}{10}-3 x$ where $x$ and $y$ are both measured in centimetres. Find the depth of the bowl.
$\qquad$ cm

$M$ is the point such that $B M: M C$ is $1: 2$
Here is Charlie's method to find $\overrightarrow{B M}$ in terms of $\mathbf{a}$ and $\mathbf{b}$.

$$
\begin{aligned}
\overrightarrow{B C} & =\overrightarrow{B A}+\overrightarrow{A C} \\
& =-\mathbf{b}+\mathbf{a} \\
& =\mathbf{a}-\mathbf{b} \\
\overrightarrow{B M} & =\frac{1}{2} \overrightarrow{B C} \\
& =\frac{1}{2}(\mathbf{a}-\mathbf{b})
\end{aligned}
$$

(a) Evaluate Charlie's method.
$\qquad$
$\qquad$

Martin expands $\quad(2 x+1)(2 x-3)(3 x+2)$
He gets $\quad 12 x^{3}-4 x^{2}-17 x+6$
(b) Explain why Martin's solution cannot be correct.
$\qquad$
$\qquad$

$A, B$ and $D$ are points on the circumference of a circle centre $O$.
$E D C$ is a tangent to the circle.
Angle $B D C=57^{\circ}$
Find the size of angle $A O B$.
You must give a reason for each stage of your working.

18 The diagram shows the first 10 sides of a spiral pattern. It also gives the lengths, in cm , of the first 5 sides.


The lengths, in cm, of the sides of the spiral form a sequence.
Find an expression in terms of $n$ for the length, in cm , of the $n$th side.
$19 A B D$ is a right-angled triangle.

$C$ is the point on $B D$ such that angle $A C B=90^{\circ}$.
Prove that triangle $A B D$ is similar to triangle $C B A$.

20 Solve algebraically

$$
\begin{aligned}
& x^{2}+y^{2}=18 \\
& x-2 y=-3
\end{aligned}
$$

21 Show that $\frac{3+\sqrt{2}}{5+\sqrt{8}}$ can be written $\frac{11-\sqrt{2}}{17}$

22 The graph of $y=\mathrm{f}(x)$ is shown on the grid.


Graph $\mathbf{A}$ is a reflection of the graph of $y=\mathrm{f}(x)$.
(a) Write down the equation of graph $\mathbf{A}$.

The graph of $y=\mathrm{g}(x)$ is shown on the grid.


Graph $\mathbf{B}$ is a translation of $y=\mathrm{g}(x)$.
(b) Write down the equation of graph $\mathbf{B}$.
$\qquad$

The graph of $y=\cos x^{\circ}$ is shown.

(c) Write down the coordinates of the point marked $C$.
$\qquad$

23 The histogram shows information about the ages of the members of a football supporters club.


There are 20 members aged between 25 and 30
One member of the club is chosen at random.
What is the probability that this member is more than 30 years old?

24 There are
6 black counters and 4 white counters in bag $\mathbf{A}$ 7 black counters and 3 white counters in bag $\mathbf{B}$ 5 black counters and 5 white counters in bag $\mathbf{C}$

Bernie takes at random a counter from bag $\mathbf{A}$ and puts the counter in bag $\mathbf{B}$.
He then takes at random a counter from bag $\mathbf{B}$ and puts the counter in bag $\mathbf{C}$.
Find the probability that there are now more black counters than white counters in bag $\mathbf{C}$.

